

Instrument Modeling: Monte Carlo Methods

Andrew Jackson
European Spallation Source

XIV School of Neutron Scattering "Francesco Paolo Ricci" (SoNS)
2nd Course of the Erice School "Neutron Science And Instrumentation"
"Designing And Building A Neutron Instrument"

Erice 1st – 9th April 2016

with Thanks to Peter Willendrup, DTU & ESS

McStas from an Instrument Scientist Perspective

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Why do simulations?

- Cross check analytical results
- Consider configurations/geometries that are hard/impossible to calculate analytically
- Examine experimentally inaccessible quantities
- Predict instrument performance
- Design experiments



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Not a substitute
for
thinking!



What are Monte Carlo methods?

Used by Nature since ... (a long time) : diversity of Life

First application using computers:

Metropolis, Ulam and Von Neumann at Los Alamos, 1943

Neutron Scattering and Absorption in U and Pu , Origin of *MCNP*

Name:

Monte Carlo casino, a random generator (Ulam's father played poker)



What are Monte Carlo Methods

- Use random generators
- Explore a complex and large phase space (many parameters)
- Integrates microscopic random events into measurable quantities **not** a usual regular sampling integration

$$\lim_{n \rightarrow \infty} \frac{1}{n} \sum_{i=1, a < u_i < b}^n f(u_i) = \frac{1}{b-a} \int_a^b f(u) du$$

- *Metropolis* algorithm: model energy gap E as a probability

$$p \propto e^{-E/kT}$$

- Integrals converge faster than any other method (for $d > 3$) when using *enough* independent events (central limit theorem)
- F. James, *Rep. Prog. Phys.*, Vol. **43** (1980) 1145.

Implementing Monte Carlo

Good random generator:

from thermal electronic noise (hardware)

or quasi-random generators \Rightarrow *quasi-Monte-Carlo*

We encounter a probability $0 < p < 1$.

Crude Monte-Carlo (yes/no choice):

We shoot n events $\xi \in [0,1]$

We keep events that satisfy $\xi < p$

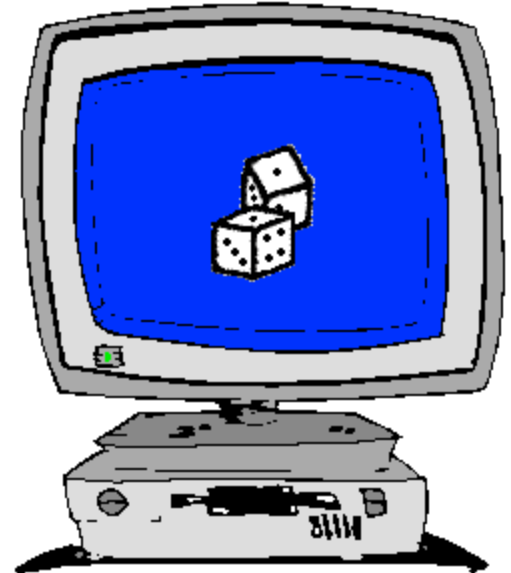
np events \rightarrow low statistics

Importance sampling (fuzzy choice – event weighting):

Keep n events, no more random number...

But associate a **weight** p to each of them (we set $\xi = p$)

Retain statistical accuracy



Software Packages

High Energy

- MCNP(X)
- PHITS
- FLUKA



GEANT

Low Energy

- McSTAS
- Vitess
- RESTRAX
- NISP



Calculation of
radiation shielding
and nuclear devices.

No coherent scattering

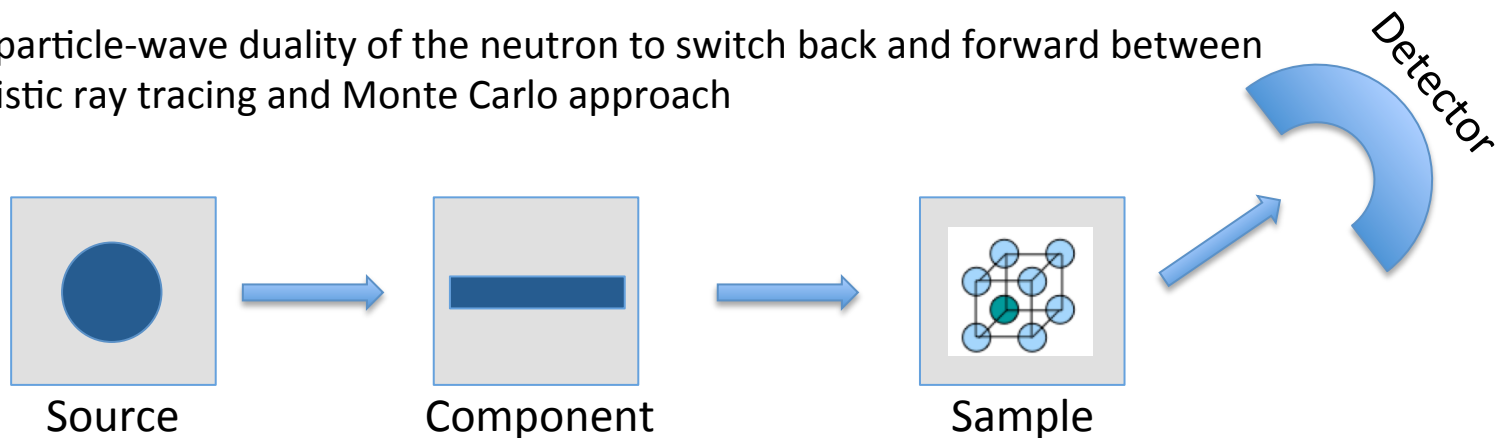
Calculation of neutron
transport and scattering in
neutron instruments.

Includes coherent
scattering

Simulating Neutron Transport and Scattering

Each time physics takes place (scattering, absorption, ...) random choices are made.

- Neutrons are described as $(\mathbf{r}, \mathbf{v}, \mathbf{s}, \mathbf{t})$, and are transported along models.
- Deterministic propagation simply uses Newton rules, incl. gravitation.
- Instrument Monte Carlo methods implement coherent scattering effects
- Uses deterministic propagation where this can be done
- Uses Monte Carlo sampling of “complicated” distributions and stochastic processes and multiple outcomes with known probabilities are involved
 - I.e. inside scattering matter
- Uses the particle-wave duality of the neutron to switch back and forward between deterministic ray tracing and Monte Carlo approach



- Result: A realistic and efficient transport of neutrons in the thermal and cold range



McSTAS

- Flexible, general simulation utility for neutron scattering experiments.
- Original design for Monte carlo Simulation of triple axis spectrometers
- Developed at DTU Physics, ILL, PSI, Uni CPH, ESS DMSC
- V. 1.0 by K Nielsen & K Lefmann (1998) RISØ
- Currently 2.5+1 people full time plus students



GNU GPL
license
Open Source

McStas - A neutron ray-trace simulation package

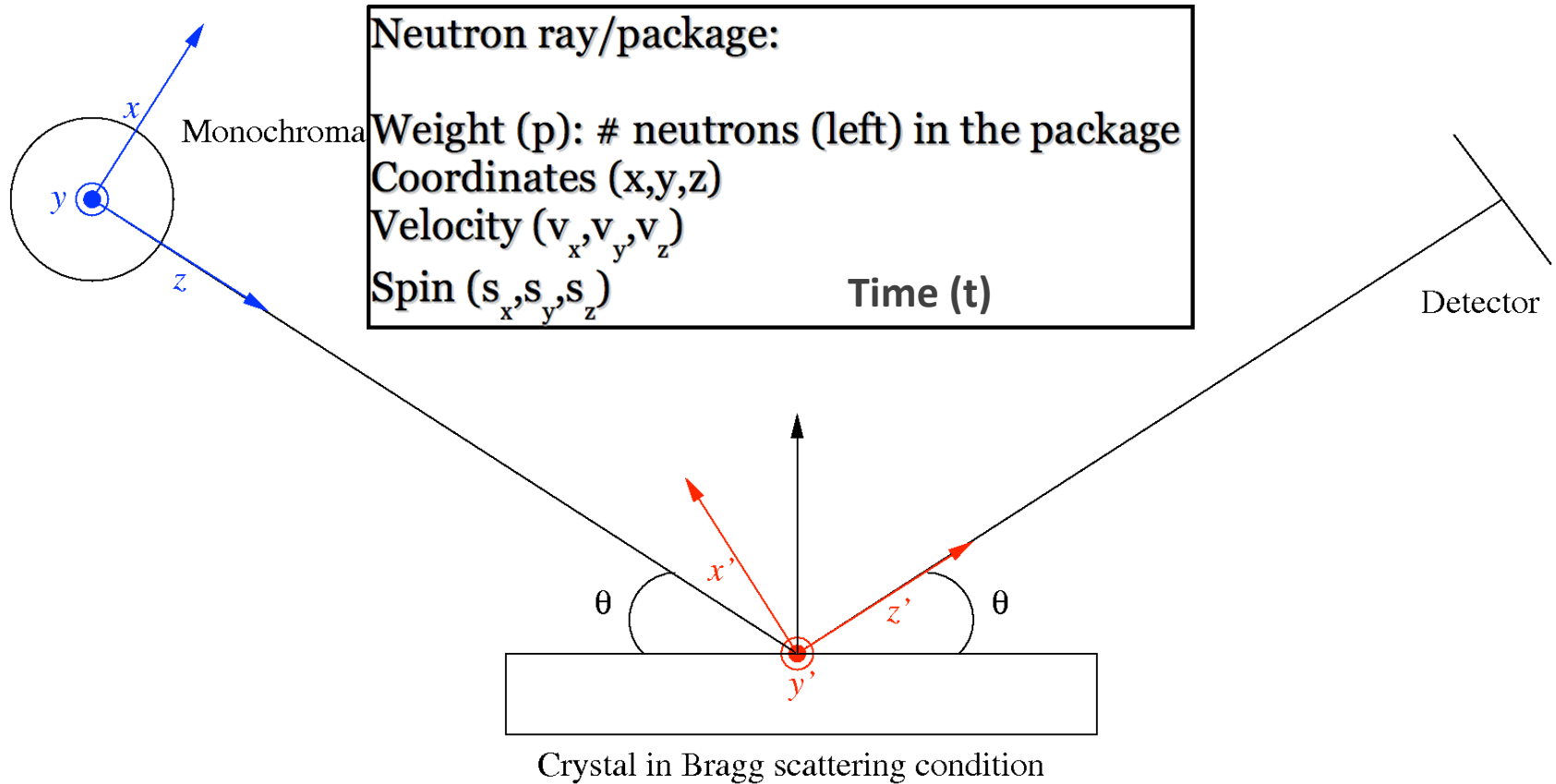
McStas is a general tool for simulating neutron scattering instruments and experiments. The plot shows the intensity of the beam coming from the left. The effect of the non-symmetry of the sample causing a lower intensity directly above.

Recent news

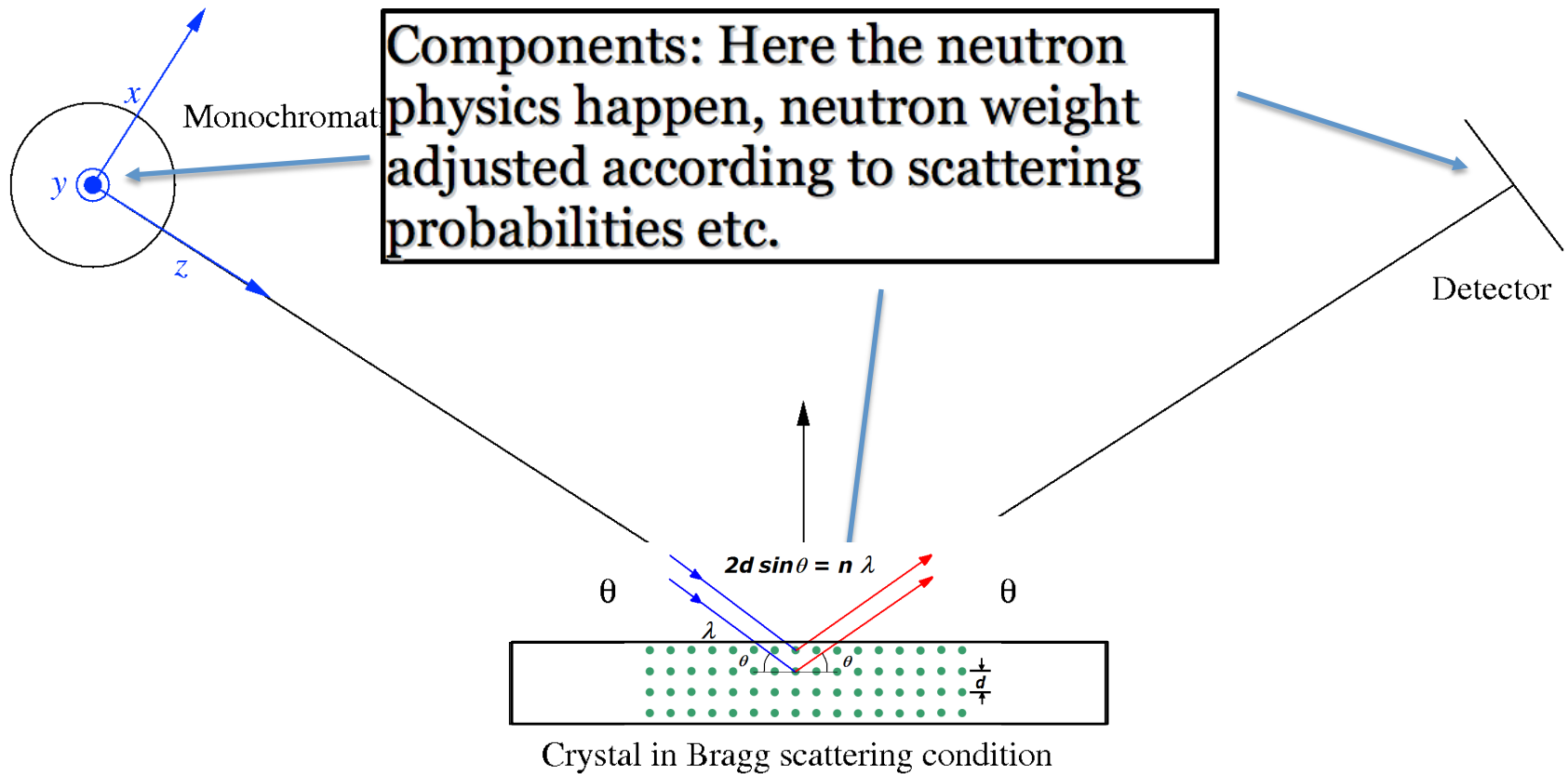
May 18th, 2009: McStas related slides / posters from ICNS

April 14th, 2009: Positions open in McXtrace project

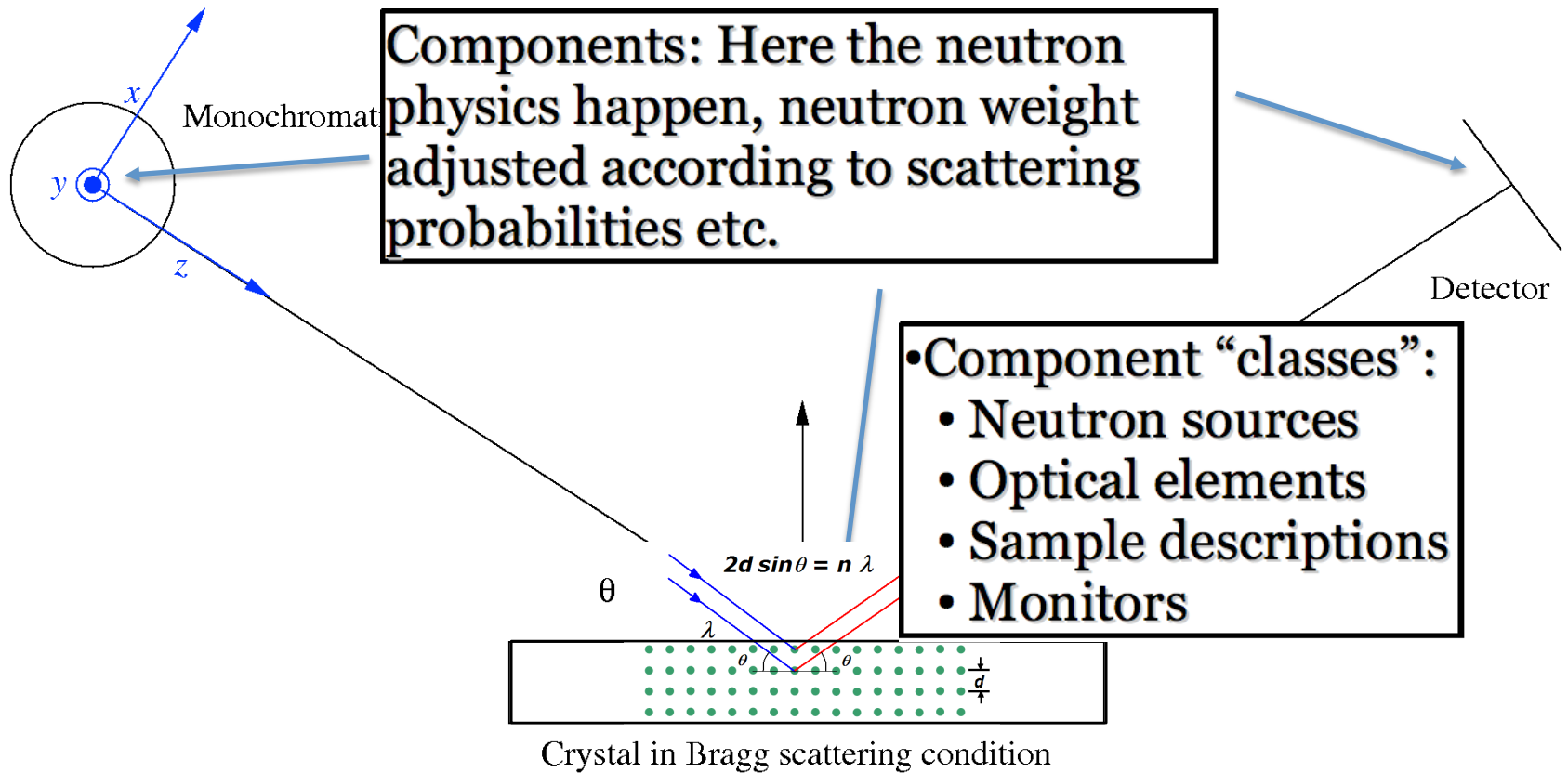
How Does McSTAS Work?



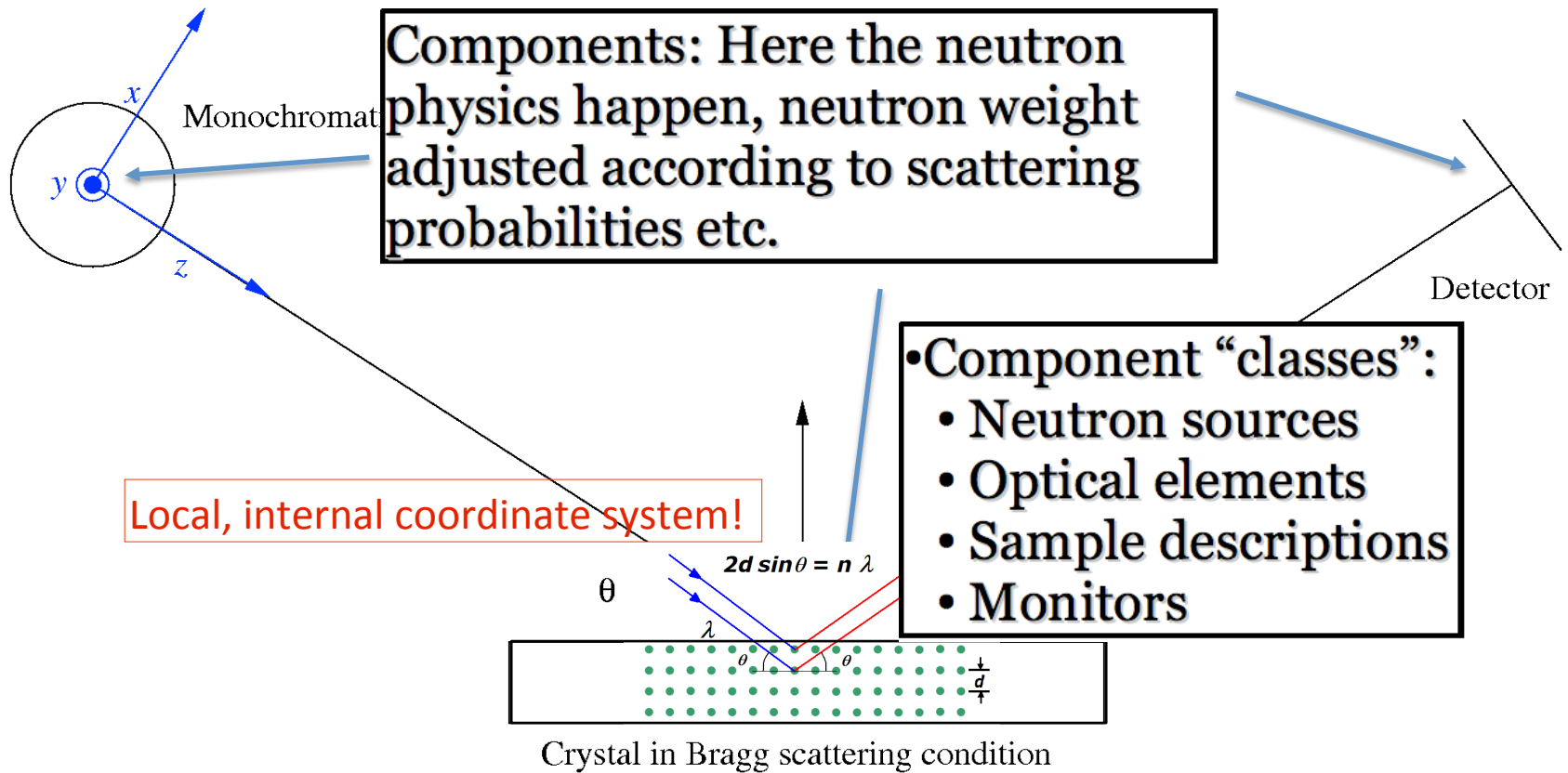
How Does McSTAS Work?



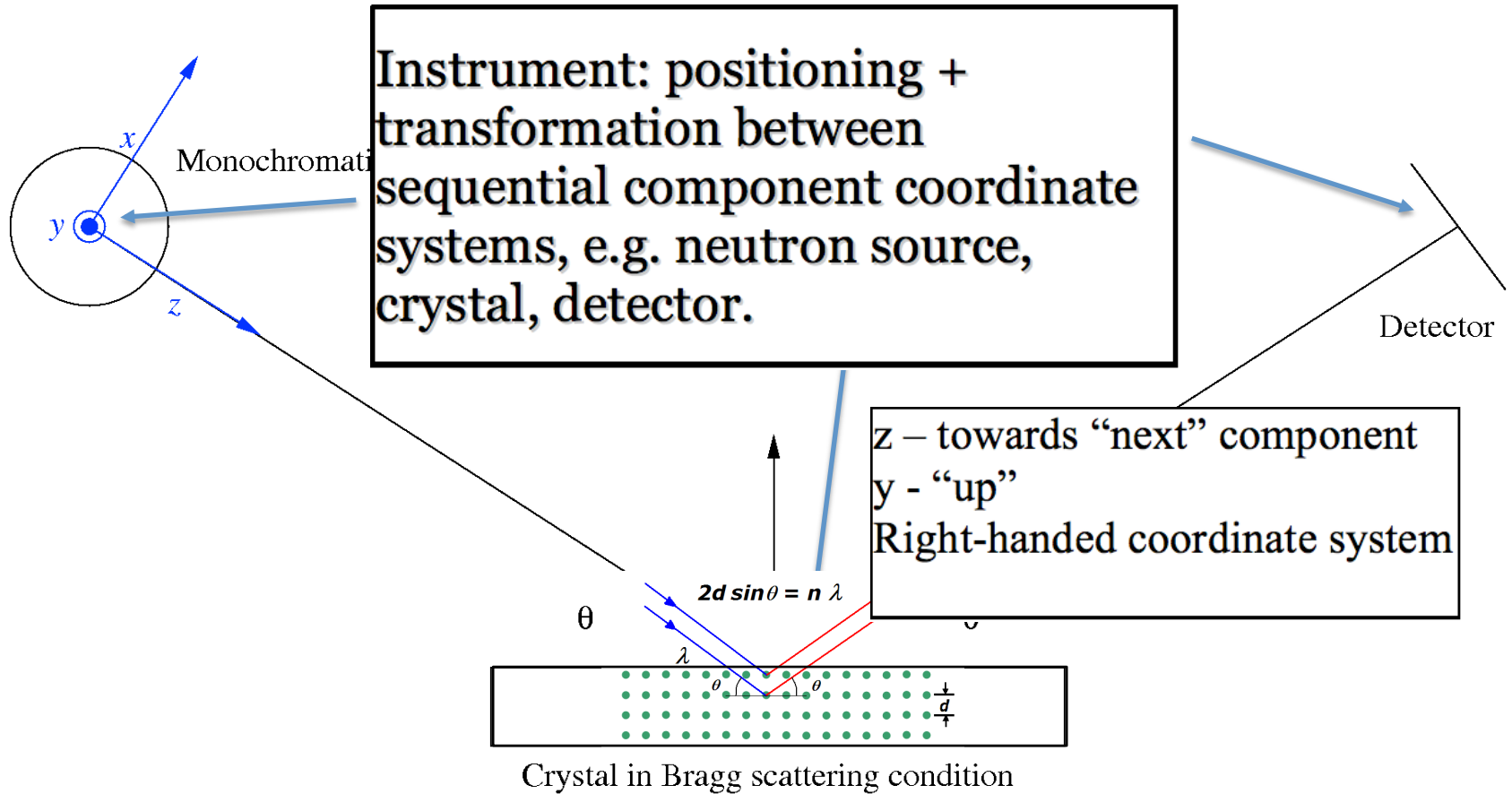
How Does McSTAS Work?



How Does McSTAS Work?

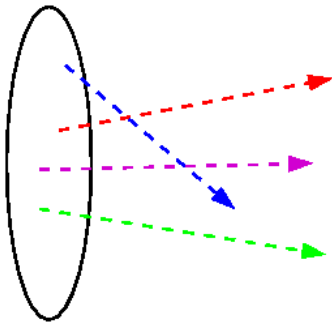


How Does McSTAS Work?



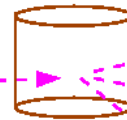
How Does McSTAS Work?

1. Particles emitted with random starting conditions via MC



2. Particles are "ray-traced" through space

3. Will eventually meet other objects e.g. a studied experimental sample and get scattered via MC again



4. At various points in the instrument the particle states are measured in so-called monitors or detectors



Three levels of **source code** :

- **Instrument file** (All users) – Describes instrument and defines order and parameters of instrument components, samples etc.
- **Component files** (Some users) – Implements physics of component
- **ANSI C Code** (no users) – Common core routines, transport between components etc.

Instrument File

Written by User – You!

```
DEFINE INSTRUMENT My_Instrument(DIST=10)

/* Here comes the TRACE section, where the actual      */
/* instrument is defined as a sequence of components.  */
TRACE

/* The Arm() class component defines reference points  */
/* in 3D space.                                        */
COMPONENT Origin = Arm()
    AT (0,0,0) ABSOLUTE

COMPONENT Source = Source_simple(
    radius = 0.1, dist = 10, xw = 0.1, yh = 0.1, E0 = 5, dE = 1)
    AT (0, 0, 0) RELATIVE Origin

COMPONENT Emon = E_monitor(
    filename = "Emon.dat", xmin = -0.1, xmax = 0.1, ymin = -0.1,
    ymax = 0.1, Emin = 0, Emax = 10)
    AT (0, 0, DIST) RELATIVE Origin

COMPONENT PSD = PSD_monitor(
    nx = 128, ny = 128, filename = "PSD.dat", xmin = -0.1,
    xmax = 0.1, ymin = -0.1, ymax = 0.1)
    AT (0, 0, 1e-10) RELATIVE Emon

/* The END token marks the instrument definition end */
END
```

Component File

Written by Developers or maybe by User

```
*****
*
* Mcstas, neutron ray-tracing package
* Copyright 1997-2002, All rights reserved
* Risoe National Laboratory, Roskilde, Denmark
* Institut Laue Langevin, Grenoble, France
*
* Component: Source_flat
*
* %I
* Written by: Kim Lefmann
* Date: October 30, 1997
* Modified by: KL, October 4, 2001
* Modified by: Emmanuel Farhi, October 30, 2001. Serious bug corrected.
* Version: $Revision: 1.22 $
* Origin: Risoe
* Release: McStas 1.6
*
* A circular neutron source with flat energy spectrum and arbitrary flux
*
* %D
* The routine is a circular neutron source, which aims at a square target
* centered at the beam (in order to improve MC-acceptance rate). The angular
* divergence is then given by the dimensions of the target.
* The neutron energy is uniformly distributed between E0-dE and E0+dE.
*
* Example: Source_flat(radius=0.1, dist=2, xw=.1, yh=.1, E0=14, dE=2)
*
* %P
* radius: (m) Radius of circle in (x,y,0) plane where neutrons
* are generated.
* dist: (m) Distance to target along z axis.
* xw: (m) Width(x) of target
* yh: (m) Height(y) of target
* E0: (meV) Mean energy of neutrons.
* dE: (meV) Energy spread of neutrons.
* Lambda0 (AA) Mean wavelength of neutrons.
* dLambda (AA) Wavelength spread of neutrons.
* flux (1/(s*cm**2*st)) Energy integrated flux
*
* %E
*****/
```

```
DEFINE COMPONENT Source_simple
DEFINITION PARAMETERS ()
SETTING PARAMETERS (radius, dist, xw, yh, E0=0, dE=0, Lambda0=0, dLambda=0, flux=1)
OUTPUT PARAMETERS ()
STATE PARAMETERS (x, y, z, vx, vy, vz, t, s1, s2, p)
DECLARE
%{
double pmul, pdir;
%}
INITIALIZE
%{
pmul=flux*PI*1e4*radius*radius/mcget_ncount();
%}
```

```
TRACE
%{
double chi,E,Lambda,v,r, xf, yf, rf, dx, dy;

t=0;
z=0;

chi=2*PI+rand01(); /* Choose point on source */
r=sqrt(rand01()*radius); /* with uniform distribution. */
x=r*cos(chi);
y=r*sin(chi);
}
randvec_target_rect(&xf, &yf, &rf, &pdir,
0, 0, dist, xw, yh, ROT_A_CURRENT_COMP);

dx = xf-x;
dy = yf-y;
rf = sqrt(dx*dx+dy*dy+dist*dist);

p = pdir*pmul;

if(Lambda0==0) {
E=E0+dE*randpml(); /* Choose from uniform distribution */
v=sqrt(E)*SE2V;
} else {
Lambda=Lambda0+dLambda*randpml();
v = K2V*(2*PI/Lambda);
}

vz=v*dist/rf;
vy=v*dy/rf;
vx=v*dx/rf;
%}

MCDISPLAY
%{
magnify("xy");
circle("xy",0,0,0,radius);
%}

END
```

Generated C-Code

Written by McStas

```
/* Automatically generated file. Do not edit.
 * Format:      ANSI C source code
 * Creator:     McStas <http://neutron.risoe.dk>
 * Instrument:  My_Instrument.instr (My_Instrument)
 * Date:       Sat Apr  9 15:27:56 2005
 */

/* THOUSANDS of lines removed here.... */

/* TRACE Component Source. */
SIG_MESSAGE("Source (Trace)");
mcDEBUG_COMP("Source")
mccoordschange(mccposrSource, mcrotrSource,
  &mcn1x, &mcn1y, &mcn1z,
  &mcn1vx, &mcn1vy, &mcn1vz,
  &mcn1t, &mcn1sx, &mcn1sy);
mcDEBUG_STATE(mcn1x, mcn1y, mcn1z, mcn1vx, mcn1vy, mcn1vz, mcn1t, mcn1sx, mcn1sy, mcn1p)
#define x mcn1x
#define y mcn1y
#define z mcn1z
#define vx mcn1vx
#define vy mcn1vy
#define vz mcn1vz
#define t mcn1t
#define s1 mcn1sx
#define s2 mcn1sy
#define p mcn1p
STORE_NEUTRON(2, mcn1x, mcn1y, mcn1z, mcn1vx, mcn1vy, mcn1vz, mcn1t, mcn1sx, mcn1sy, mcn1sz, mcn1p);
mcScattered=0;
mcNCounter[2]++;
#define mcompcurname
#define mcompcurindex 2
{ /* Declarations of SETTING parameters. */
MCNUM radius = mccSource_radius;
MCNUM dist = mccSource_dist;
MCNUM xw = mccSource_xw;
MCNUM yh = mccSource_yh;
MCNUM EO = mccSource_EO;
MCNUM dE = mccSource_dE;
MCNUM Lambda0 = mccSource_Lambda0;
MCNUM dLambda = mccSource_dLambda;
MCNUM flux = mccSource_flux;
#line 58 "Source_simple.comp"
{
double chi, E, Lambda, v, r, xf, yf, rf, dx, dy;
```

McStas is a (pre)compiler

Input is .instr and .comp files +
runtime functions from core library
for e.g. random numbers.

Output is a single c-file, which can be
compiled with your favourite C
compiler.

Can be made to take input arguments
if required, for e.g. scans of
instrument parameters

Live Demo


Try it out!

McStas homepage


http://www.mcstas.org/

Most Visited Getting Started Latest Headlines http://www.google... Geekblog Nyheder http://www.google... dr.dk open streami...

[all variants] VMWare Player on... McStas homepage



McStas - A neutron ray-trace simulation package



McStas

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Developments
[Platforms](#)

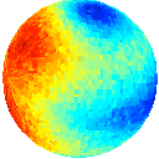
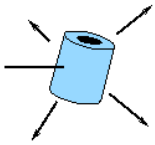
Links

Report bugs

CVS
[McStas Ubuntu live-dvd](#)

McStas - A neutron ray-trace simulation package

McStas is a general tool for simulating neutron scattering instruments and experiments. It is actively supported by [Risø DTU](#), [NBI KU](#) and [ILL](#).



The plot shows the intensity of scattered neutrons (red is highest intensity). The sample is at the center of the sphere with the neutron beam coming from the left. Clearly seen is the shadowing effect of the sample causing a lower intensity opposite the beam. Also seen is the effect of the non-symmetric geometry of the sample, causing lower intensity directly above and to the side of the sample.

Simulated scattering from a hollow-cylinder [vanadium sample](#).

Recent news

May 18th, 2009: McStas related slides / posters from ICNS

We have gathered talk and poster material from [ICNS 2009](#) in a [special conference page](#). Work by the McStas team and close connections have been added.

If you feel like contributing your own talk/poster, please send a pdf to [Peter Willendrup](#)

We would also like thank those of the ICNS attendees that were in our [workshop](#) or came by our posters for interesting discussions.

April 14th, 2009: Positions open in McXtrace project

Done

Try it out!



FRONTPAGE

ABOUT E-NEUTRONS

FOR TEACHERS

GET AN ACCOUNT,
TIPS, SUPPORT

Username

Password

Login

Courses

Introduction to Neutron Scattering

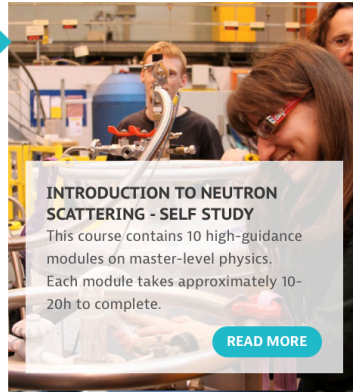
High-guidance self study

Introduction to Neutron Scattering

Open course for blended learning

Muon Spin Spectroscopy

A course on a complementary technique to neutron scattering



INTRODUCTION TO NEUTRON SCATTERING - SELF STUDY
This course contains 10 high-guidance modules on master-level physics. Each module takes approximately 10-20h to complete.

READ MORE

Science cases



Finding crystal structure

Chemistry of materials



Characterising liposomes in suspension

Life sciences



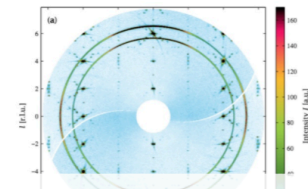
Characterising magnetic order

Magnetic and electronic phenomena



Characterising atomic lattice vibrations

Energy research



CRYSTAL STRUCTURE

Try module "Diffraction from crystalline materials" in course "Introduction to Neutron Scattering"

READ MORE

Exercise taster

Problem: Discretization

Problem: Fourier transform

Mathematics is the underlying language of the Fourier transform of the distribution of scattering centers (atoms, molecules, grains) within the material. The scattered intensity (in a scattering function) is the square of the scattering amplitude.

The Fourier transform of a function $f(x)$ is written as

$$F(k) = \int_{-\infty}^{\infty} f(x) e^{-ikx} dx$$

where x is the function in real space given by particles n , and k is a coordinate in Fourier space (which in scattering terms usually is called "reciprocal space"). $F(k)$ is seen as scattering theory the position sensitive scattering length profile within the sample.

We will consider a one-dimensional space, i.e. all particles (scattering centers) are positioned on a line, and correspondingly only calculate the one-dimensional Fourier transform. We assume further that all particles are point-like (δ -function).

Question 1

Calculate the Fourier transform and the scattering intensity of a sample with only one particle, and plot the normalized scattered intensity $I(k) = |F(k)|^2 / |F(0)|^2$.

Hint

Solution

Question 2

Calculate the Fourier transform and the scattering intensity of a sample with two particles, and plot the normalized scattered intensity $I(k) = |F(k)|^2 / |F(0)|^2$.

Hint

Solution

FOURIER TRANSFORM

Do you know what the scattering intensity is from a string of particles?

Test yourself here!

READ MORE

Quiz taster

NEUTRON PROPERTIES

Do you know what neutrons are good for and why? Test yourself here...

READ MORE

Simulation taster

Micro

Simulation

SMALL ANGLE SCATTERING

Do you know what the scattering pattern looks like from small particles in solution? Test yourself here...

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